

# Facit och kommentarer till tentamen 2023-03-14 i DA4003

## Del 1: flervalsfrågor (1p per fråga)

1. B, D
2. B
3. E
4. A
5. D
6. B, E
7. A
8. C, D, E

## Del 2: kodfrågor

9. (a) Möjlig lösning:

```
int sum_numbers(int* p, int n) {  
  
    int sum = 0;  
  
    for (int i = 0; i < n; i++)  
        sum += *(p + i);  
  
    return sum;  
  
}
```

- (b) Möjlig lösning:

```
int sum_numbers(int* p, int n) {  
  
    int sum = 0;  
    int i = 0;  
  
start:  
    sum += *(p + i);  
    i++;  
    if (i < n) {  
        goto start;  
    }  
  
    return sum;  
  
}
```

10. (a) Möjlig lösning:

```
class Vehicle {  
  
    public String manufacturer;  
    public int number_of_wheels;  
    private String owner;  
  
    public Vehicle(String m, int n, String o) {  
        manufacturer = m;  
    }  
}
```

```

        number_of_wheels = n;
        owner = o;
    }

    public String get_owner() {
        return owner;
    }
}

```

(b) Möjlig lösning:

```

class Car extends Vehicle {
    public int km;

    public Car(String m, String o, int k) {
        super(m,4,o);
        km = k;
    }
}

```

(c) Möjlig lösning:

```

Car new_tesla = new Car("Tesla","Elon Musk",0);

```

11. (a) Möjlig lösning:

```

partition :: (a -> Bool) -> [a] -> ([a],[a])
partition p [] = ([],[a])
partition p (x:xs) =
    let (ys,zs) = partition p xs
    in if p x then (x : ys,zs) else (ys,x : zs)

```

(b) Möjliga lösningar (alternativ 2 och 3 ger 3p, men alternativ 1 ger 2p pga Eq kravet i typen):

```

-- Alternativ 1 (ok trots Eq i typen)
all :: Eq a => (a -> Bool) -> [a] -> Bool
all p xs = [] == snd (partition p xs)

-- Alternativ 2 (utan Eq a kravet)
all :: (a -> Bool) -> [a] -> Bool
all p xs = isEmpty (snd (partition p xs))
    where
        isEmpty [] = True
        isEmpty _ = False

-- Alternativ 3 mha null
all :: (a -> Bool) -> [a] -> Bool
all p xs = null (snd (partition p xs))

```

12. (a) Möjlig lösning:

```

tribonacci(0,0).
tribonacci(1,0).
tribonacci(2,1).
tribonacci(N,T) :-
    N1 is N - 1,
    N2 is N - 2,
    N3 is N - 3,
    tribonacci(N1,T1),
    tribonacci(N2,T2),
    tribonacci(N3,T3),
    T is T1 + T2 + T3.

```

(b) Möjlig lösning:

```
zip([],_,[]) :- !.  
zip(_,[],[]) :- !.  
zip([X | XS],[Y | YS],[(X,Y) | ZS]) :-  
    zip(XS,YS,ZS).
```